

#### NKS-B NORCOP-COAST

Workshop on nuclear icebreaker traffic and transport of radioactive materials along the Nordic coastline: response systems and cooperation to handle accidents

13-14 October 2015, Tromsø, Norway

### Simulation of pollutant dispersion along the oceanic food chain with CODE/eco\_CODE

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### Effects of dynamic behaviour of Nordic marine environment to radioecological assessments (NKS-B EFMARE)

Roskilde meeting 26.-28.8.2015

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Fig. 6: Particle density at the end of the winter 2004 simulation. The point denoted with "S" shows the source position. The points "A", "B", "C", "D", and "E" denote the stations where time series were constructed.



#### **Adaptive mesh refinement:**





#### **CTD** data assimilation















## Carbon fluxes





#### carbon/pollutant fluxes

temp. change of diatom carbon density *Ph*<sub>1</sub> [mmolC/m<sup>3</sup>]

$$\frac{\partial Ph_{1}}{\partial t} = ADV_{Ph_{1}} + DIF_{Ph_{1}} + \sigma_{1} \Phi_{1} Ph_{1} - m_{1} Ph_{1} - graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3}$$

*RN* [molX/molC] pollutant/carbon ratio:

 $\frac{\partial RN}{\partial t} = ADV_{RN} + DIF_{RN} + Q$ 

*Ph*<sub>1</sub><sup>*RN*</sup> [mmolX/m<sup>3</sup>] sea water pollution by diatoms

$$\frac{\partial Ph_{1}^{RN}}{\partial t} = ADV_{Ph_{1}^{RN}} + DIF_{Ph_{1}^{RN}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (\sigma_{1} \Phi_{1} Ph_{1})RN - m_{1} Ph_{1}^{RN} - (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{21} Zo_{2} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} - graz_{31} Zo_{3} - graz_{31} Zo_{3})\frac{Ph_{1}^{RN}}{Ph_{1}} + (graz_{11} Zo_{1} Zo_{1} Zo_{1} Zo_{3} - graz$$

$$\frac{\partial Zo_1^{RN}}{\partial t} = ADV_{Zo_1^{RN}} + DIF_{Zo_1^{RN}} + (graz_{11} Zo_1)\frac{Ph_1^{RN}}{Ph_1} + \dots$$



#### pollutant dispersion (sea water) [molX/molC]





#### phytoplankton contamination [mmolX/m<sup>3</sup>]





#### zooplankton contamination [mmolX/m<sup>3</sup>]









#### fish contamination [mmolX]





#### contamination development





# Thank you!



















# CODE

# Cartesian coordinates Ocean model with three-Dimensional adaptive mesh refinement and primitive Equations



#### primitive equations: (*u*,*v*,*w*), ζ,*p*,*ρ*,*T*,*S*

$$\frac{du}{dt} = f v + \frac{\partial}{\partial x} \left( A_H \frac{\partial u}{\partial x} \right) + \frac{\partial}{\partial y} \left( A_H \frac{\partial u}{\partial y} \right) + \frac{\partial}{\partial z} \left( A_V \frac{\partial u}{\partial z} \right) - \frac{1}{\rho_0} \frac{\partial p}{\partial x} - \frac{\partial \Phi_T}{\partial x}$$
$$\frac{dv}{dt} = -f u + \frac{\partial}{\partial x} \left( A_H \frac{\partial v}{\partial x} \right) + \frac{\partial}{\partial y} \left( A_H \frac{\partial v}{\partial y} \right) + \frac{\partial}{\partial z} \left( A_V \frac{\partial v}{\partial z} \right) - \frac{1}{\rho_0} \frac{\partial p}{\partial y} - \frac{\partial \Phi_T}{\partial y}$$

$$w = -\int_{z'=-D}^{z'=z} \left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y}\right) dz$$

$$\frac{\partial \zeta}{\partial t} = w(z = \zeta)$$

$$p = \int_{z'=z}^{z'=\zeta} \rho g \, dz' + p_{AIR}$$

 $\rho = \rho(S,T,p) \approx \rho(S,T,-\rho_0 \ g \ z)$ 

$$\frac{\partial T}{\partial t} = -u \frac{\partial T}{\partial x} - v \frac{\partial T}{\partial y} - w \left(\frac{\partial T}{\partial z} + \Gamma\right) + \frac{\partial}{\partial x} \left(K_{H,T} \frac{\partial T}{\partial x}\right) + \frac{\partial}{\partial y} \left(K_{H,T} \frac{\partial T}{\partial y}\right) + \frac{\partial}{\partial z} \left(K_{V,T} \left(\frac{\partial T}{\partial z} + \Gamma\right)\right) + Q_T$$

$$\frac{\partial S}{\partial t} = -u \frac{\partial S}{\partial x} - v \frac{\partial S}{\partial y} - w \frac{\partial S}{\partial z} + \frac{\partial}{\partial x} \left( K_{H,S} \frac{\partial S}{\partial x} \right) + \frac{\partial}{\partial y} \left( K_{H,S} \frac{\partial S}{\partial y} \right) + \frac{\partial}{\partial z} \left( K_{V,S} \frac{\partial S}{\partial z} \right) + Q_S$$



#### Numercial methods:



Implicit schemes for *U,V,T,S* advection, diffusion, semi-implicit for the sea surface elevation

Advection with van Leer flux limiter

Smagorinsky, Kochergin turbulence closure



CTD data assimilation

Parallelization with OpenMP

978402 grid cells, ⊿t = 300 s

Intel Xeon 3.33 GHz – 12 core CPU, 92 hours/yr



#### Validation May 2003



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![](_page_26_Figure_0.jpeg)